X-ray Emission from Single Massive Stars Constraints on Wind-Shock Physics and Mass-Loss Rates

David Cohen Swarthmore College

with Stan Owocki & Jon Sundqvist (U. Delaware), Maurice Leutenegger (GSFC), Marc Gagné & Véronique Petit (West Chester University), Alex Fullerton (STScI), Emma Wollman (Swarthmore '09; Caltech), Erin Martell (Swarthmore '09; U. Chicago), James MacArthur (Swarthmore '11; Sandia National Laboratory)



Massive Stars: luminous, with strong winds



ESO: Carina Nebula

very luminous ($L_{bol} \sim 10^5 - 10^6 L_{sun}$), impact on Galactic environment, nucleosynthesis, supernova end-state



ESO: Carina Nebula

strong radiation-driven winds ($\dot{M} \sim 10^{-6}$ to 10^{-5} M_{sun}/yr and $v_{\infty} \sim 2000$ to 3000 km/s)



ESO: Carina Nebula



Tr 14: Chandra





O supergiants are quite X-ray luminous (L_x up to 10³³ erg/s)



HD 93129A (O2lf*)

Tr 14: Chandra

Outline: Wind Shock Physics and Mass-Loss Rates

- X-rays arise in post-shock cooling zones distributed throughout the stellar wind
- Line profile shapes: mass-loss rates
- Line profile shapes: kinematics and location
- Broadband X-ray spectra: plasma temperature distribution and wind absorption (for an independent mass-loss rate measurement)



Numerical simulations of the line-driving instability (LDI)

excited by turbulence at the wind base



self-excited instability

Owocki, Cooper, Cohen 1999

ũ

time

Feldmeier, Puls, & Pauldrach 1997

shock jump velocities ~ few 100 km/s

Numerical simulations of the line-driving instability (LDI)



self-excited instability

excited by turbulence at the wind base



Feldmeier, Puls, & Pauldrach 1997

shock jump temperatures ~ few 10⁶ K

Numerous shock structures distributed above $r \sim 1.5 R_{\star}$





Shocked plasma is moving at $v \sim 1000$ km/s



X-ray emission lines should be **Doppler broadened**



Less than 1% of the wind is emitting X-rays







O supergiant X-ray emission lines are broad

Chandra grating spectrum



Capella: G star for comparison (narrow lines)

<u>ζ</u> Pup (O4lf)

lines are asymmetric



Capella (G5 III)

Simple, empirical line-profile model: for extracting physically meaningful parameters from spectral data

Line Asymmetry



Line Asymmetry



Line Asymmetry



Wind Profile Model



Quantifying the wind optical depth

opacity of the cold wind component (due to bound-free transitions in C, N, O, Ne, Fe)

wind mass-loss rate

 $\dot{M} = 4\pi r^2 v \rho$



wind terminal velocity

soft X-ray wind opacity

CNO processed



Line profile shapes









key parameters: $R_o \& T_\star$

$$\mathbf{v} = \mathbf{v}_{\infty} (\mathbf{I} - r/\mathbf{R}_{\star})^{\beta}$$

$$j \sim \rho^2$$
 for $r/R_* > R_o$,

= 0 otherwise

$$\tau = \tau_* \int_{z}^{\infty} \frac{R_* dz'}{r'^2 (1 - \frac{R_*}{r'})^{\beta}}$$

$$\tau_* \equiv \frac{\kappa M}{4\pi R_* v_\infty}$$



ζ Pup: Chandra MEG

Fe XVII



ζ Pup Chandra: three emission lines

Mg Lyα: 8.42 Å

Ne Lyα: 12.13 Å

Ο Lyα: 18.97 Å



Τ_{*} = Ι

 $T_* = 2$



Recall:

$$\tau_* \equiv \frac{\kappa \dot{M}}{4\pi R_* v_\infty}$$

Results from the 3 line fits shown previously



Fits to 16 lines in the Chandra spectrum of ζ Pup



Fits to 16 lines in the Chandra spectrum of ζ Pup



Fits to 16 lines in the Chandra spectrum of ζ Pup



soft X-ray wind opacity

100 Opacity (cm² g⁻¹) 80 кŇ $\tau_* \equiv$ $4\pi R_* v_\infty$ Solar 60 Fe L 40 Mg IV O IV Ne IV Si V 20 0 10 15 5 20 Wavelength (Å)

CNO processed



\mathring{M} becomes the free parameter of the fit to the T_{*}(λ) trend





\mathring{M} becomes the free parameter of the fit to the T_{*}(λ) trend






ζ Pup mass-loss rate < 4.2 x 10⁻⁶ M_{sun}/yr

Bright OB stars in the Galaxy

III. Constraints on the radial stratification of the clumping factor in hot star winds from a combined H_{α} , IR and radio analysis*

J. Puls¹, N. Markova², S. Scuderi³, C. Stanghellini⁴, O. G. Taranova⁵, A. W. Burnley⁶ and I. D. Howarth⁶

¹ Universitäts-Sternwarte München, Scheinerstr. 1, D-81679 München, Germany, e-mail: uh101aw@usm.uni-muenchen.de

² Institute of Astronomy, Bulgarian National Astronomical Observatory, P.O. Box 136, 4700 Smoljan, Bulgaria, e-mail: nmarkova@astro.bas.bg

³ INAF - Osservatorio Astrofisico di Catania, Via S. Sofia 78, I-95123 Catania, Italy, e-mail: scuderi@oact.inaf.it

⁴ INAF - Istituto di Radioastronomia, Via P. Gobetti 101, I-40129 Bologna, Italy, e-mail: c.stanghellini@ira.inaf.it

⁵ Sternberg Astronomical Institute, Universitetski pr. 13, Moscow, 119992, Russia, e-mail: taranova@sai.msu.ru

⁶ Department of Physics and Astronomy, University College London, Gower Street, London WC1E 6BT, UK, e-mail: awxb@star.ucl.ac.uk, idh@star.ucl.ac.uk

Received; accepted

Abstract. Recent results strongly challenge the canonical picture of massive star winds: various evidence indicates that currently accepted mass-loss rates, \dot{M} , may need to be revised downwards, by factors extending to one magnitude or even more. This is because the most commonly used mass-loss diagnostics are affected by "clumping" (small-scale density inhomogeneities), influencing our interpretation of observed spectra and fluxes.

Such downward revisions would have dramatic consequences for the evolution of, and feedback from, massive stars, and thus robust determinations of the clumping properties and mass-loss rates are urgently needed. We present a first attempt concerning this objective, by means of constraining the radial stratification of the so-called clumping factor.

To this end, we have analyzed a sample of 19 Galactic O-type supergiants/giants, by combining our own and archival data for H_{α} , IR, mm and radio fluxes, and using approximate methods, calibrated to more sophisticated models. Clumping has been included into our analysis in the "conventional" way, by assuming the inter-clump matter to be void. Because (almost) all our diagnostics depends on the square of density, we cannot derive absolute clumping factors, but only factors normalized to a certain minimum.

This minimum was usually found to be located in the outermost, radio-emitting region, i.e., the radio mass-loss rates are the lowest ones, compared to \dot{M} derived from H_a and the IR. The radio rates agree well with those predicted by theory, but are only upper limits, due to unknown clumping in the outer wind. H_a turned out to be a useful tool to derive the clumping properties inside $r < 3...5 R_{\star}$. Our most important result concerns a (physical) difference between denser and thinner winds: for denser winds, the innermost region is more strongly clumped than the outermost one (with a normalized clumping factor of 4.1 ± 1.4), whereas thinner winds have similar clumping properties in the inner and outer regions.

Our findings are compared with theoretical predictions, and the implications are discussed in detail, by assuming different scenarios regarding the still unknown clumping properties of the outer wind.

$\begin{aligned} \zeta \text{ Pup: radially varying clumping} \\ \text{for } \dot{M} &= 3.5 \times 10^{-6} \text{ M}_{\text{sun}}/\text{yr} \\ f_{\text{cl}} &= 1.3 @ r < 1.12 \text{ R}* \\ f_{\text{cl}} &= 6.0 @ 1.12 < r < 1.5 \text{ R}* \\ f_{\text{cl}} &= 3.7 @ 1.5 < r < 2 \text{ R}* \\ f_{\text{cl}} &= 2.6 @ 2 < r < 15 \text{ R}* \end{aligned}$

Ηα

 $f_{cl} = 2.6 @ 2 < r < 15 | f_{cl} = 1.3 @ r > 15 R*$

IR

radio



 $\begin{aligned} \zeta \text{ Pup: radially varying clumping} \\ \text{for } \mathring{M} = 3.5 \times 10^{-6} \text{ M}_{\text{sun}}/\text{yr} & \begin{array}{c} f_{\text{cl}} = 1.3 @ r < 1.12 \text{ R}* \\ f_{\text{cl}} = 6.0 @ 1.12 < r < 1.5 \text{ R}* \\ f_{\text{cl}} = 3.7 @ 1.5 < r < 2 \text{ R}* \\ f_{\text{cl}} = 2.6 @ 2 < r < 15 \text{ R}* \\ f_{\text{cl}} = 1.3 @ r > 15 \text{ R}* \end{aligned}$

$$f_{cl} \equiv \langle \rho^2 \rangle / \langle \rho \rangle^2$$

$$\dot{M}_{cl} \equiv \dot{M}_{smooth} / f_{cl}^{0.5}$$

ignoring clumping overestimates mass-loss rates by a factor of $\sqrt{f_{cl}}$

 ζ Pup: radially varying clumping for $\dot{M} = 3.5 \times 10^{-6} M_{sun}/yr$ $f_{cl} = 1.3$

consistent multiwavelength fit with a single mass-loss rate $f_{cl} = 1.3 @ r < 1.12 R*$ $f_{cl} = 6.0 @ 1.12 < r < 1.5 R*$ $f_{cl} = 3.7 @ 1.5 < r < 2 R*$ $f_{cl} = 2.6 @ 2 < r < 15 R*$ $f_{cl} = 1.3 @ r > 15 R*$





Hot plasma kinematics and location

 R_o controls the line width via v(r)



 $R_o = 3 R_{\star}$



$R_o = 10 R_{\star}$



Distribution of R_o values for ζ Pup



v_{∞} can be constrained by the line fitting too



X-ray plasma and mean wind have same kinematics







Tr 14: Chandra







HD 93129A

 $L_X \sim 7 \times 10^{32}$

<hv> ~ I keV :kT ~ I0⁷ K

Tr 14: Chandra

$L_{bol} \sim 2 \times 10^{6} L_{sun}$ so $L_{X}/L_{bol} \sim 10^{-7}$

Strong stellar winds: traditional diagnostics UV



 $\dot{M} = 2 \times 10^{-5} M_{sun}/yr$ $v_{\infty} = 3200 \text{ km/s}$

Ηα



Fig. 13. Observed H α profile (solid) compared with the calculation assuming a mass loss of $18 \times 10^{-6} M_{\odot}$ /yr (dashed). Note that the blue narrow emission peak originates from the H II-region emission.

HD 93129A: strongest wind measured in an O star

Ηα



Fig. 13. Observed H α profile (solid) compared with the calculation assuming a mass loss of $18 \times 10^{-6} M_{\odot}/\text{yr}$ (dashed). Note that the blue narrow emission peak originates from the H II-region emission.

Taresch et al. (1997)

 $\dot{M} = 2 \times 10^{-5} M_{sun}/yr$

assuming a smooth wind

i.e. no clumping



HD 93129A

 $L_X \sim 7 \times 10^{32}$

<hv> ~ I keV :kT ~ I0⁷ K

Tr 14: Chandra

$L_{bol} \sim 2 \times 10^{6} L_{sun}$ so $L_{X}/L_{bol} \sim 10^{-7}$

components A & B separated by 2.7" (5500 AU)



Nelan et al., 2004, AJ, 128, 323

a ~ 100 AU (~ 1000 R*) O2lf* + ~O3.5V

component A is actually a binary itself: sep. 0.05'' $\Delta m = 0^m.9$

Chandra High Energy Transmission Grating Spectrometer

dispersed spectrum: highresolution \





HD 93129A

Mg XII Lyman-alpha



R_o = onset radius of X-ray emission



HD 93129A

T* from five emission lines



 $\tau_* = \kappa(\lambda) M / 4\pi R_* v_\infty$

Chandra High Energy Transmission Grating Spectrometer

dispersed spectrum: highresolution







The Spectral Model



thermal emission (bremsstrahlung + emission lines)











$\Sigma_* = 0.052 \text{ g cm}^{-2}$

where this mass column parameter $\Sigma_{\star} = \dot{M}/4\pi R_{\star}v_{\infty}$

this fitted value corresponds to:

 $M = 5.2 \times 10^{-6} M_{sun}/yr$

HD 93129A: X-ray mass-loss rate measurement

Two independent X-ray absorption mass-loss rate diagnostics give consistent results:

 $\dot{M} = 6.8 \times 10^{-6} M_{sun}/yr$:line profiles $\dot{M} = 5.2 \times 10^{-6} M_{sun}/yr$:broadband

Factor of 3 or 4 reduction with respect to traditional (unclumped) $H\alpha$ diagnostics

Lower mass-loss rate: consistent with $H\alpha$?

Lower mass-loss rate: consistent with $H\alpha$?

Yes! With clump volume filling factor of $f_{cl} = 12$

 $\dot{M} = 7 \times 10^{-6} M_{sun}/yr$


Conclusions

- •Embedded Wind Shocks, consistent with LDI
- •Wind attenuation is very important
- Mass-loss rate is reduced by factor of 3 to 4
- Shock onset radius is consistent with LDI simulations...but clumping onset is closer to the photosphere







X-ray Emission from Single Massive Stars Constraints on Wind-Shock Physics and Mass-Loss Rates

David Cohen Swarthmore College

with Stan Owocki & Jon Sundqvist (U. Delaware), Maurice Leutenegger (GSFC), Marc Gagné & Véronique Petit (West Chester University), Alex Fullerton (STScI), Emma Wollman (Swarthmore '09; Caltech), Erin Martell (Swarthmore '09; U. Chicago), James MacArthur (Swarthmore '11; Sandia National Laboratory)





windtabs wind absorption model

X-ray opacity

H, He ionization



X-ray opacity



X-ray opacity: zoom in

abundance effects



abundance effects

do not matter much in the Chandra bandpass



Radiation transport through the wind



distributed emission escapes more easily



combine opacity and RT models: windtabs (Leutenegger et al. 2010)



soft X-rays are attenuated by the wind





Helium-like f/i line ratio: diagnostic of distance from photosphere



Incidentally, you **can** fit the *Chandra* line profiles with a porous model



But, the fit requires a porosity length of 5 R*!

Chandra ACIS image, redder = softer X-rays



components A & B separated by 2.7"



Chandra ACIS spectra of A & B

